

# Building an Open Source work bench for marine biogeochemical models of the water column

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- Why an ecosystem model work bench ?
- GOTM - A physical water column model
  - Turbulence models in GOTM
  - GOTM examples
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- Road Map

# Motivation

Biogeochemical models strongly depend on the physical model into which they are embedded.

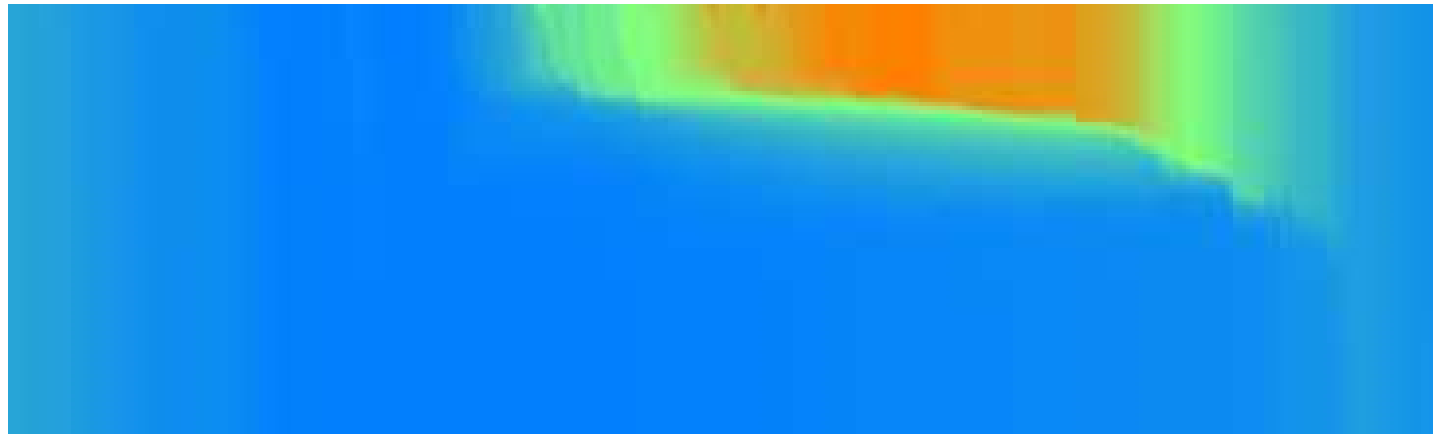
⇒ They can only be compared to each others in identical physical frames.

⇒ GOTM-BIO may be such a framework.

# Motivation

## Northern North Sea temperature

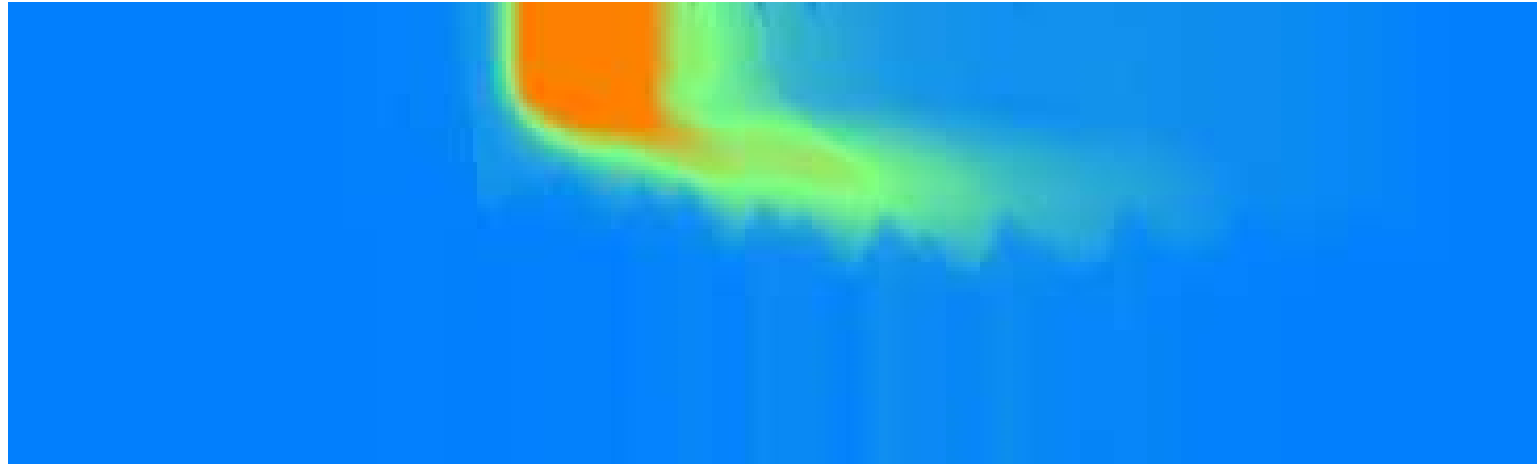
- simulation with GOTM
- annual run for 1998
- 110 m water depth
- realistic forcing



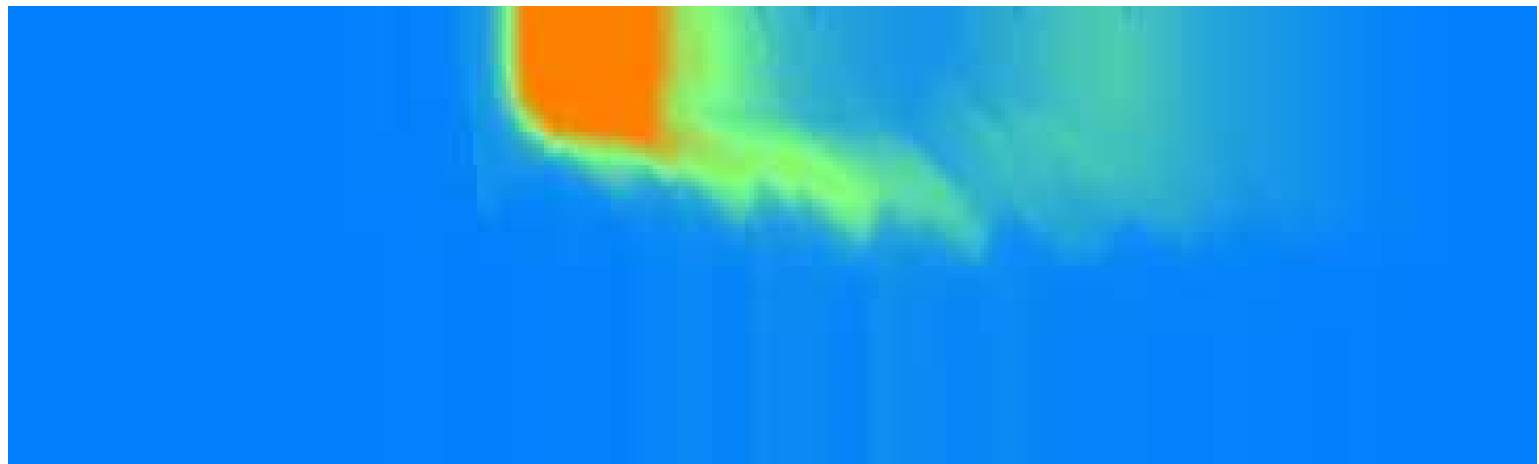
Range:  $7^{\circ}\text{C}$  –  $14^{\circ}\text{C}$

# Motivation

Phytoplankton (NPZD-model, internal wave mixing):



Phytoplankton (NPZD-model, no internal wave mixing):



# GOTM, <http://www.gotm.net>



- [Challenge](#)
- [Aim](#)
- [The Idea](#)
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## General Ocean Turbulence Model

GOTM is a one-dimensional numerical model developed and supported by a [core team](#) of ocean modellers. GOTM aims at simulating accurately [vertical exchange processes](#) in the marine environment where [mixing](#) is known to play a key role. GOTM is freely available under the [GPL](#) (Gnu Public License).

The interested user can download the [source code](#), a set of [test cases](#) (Papa, November, Flex, ...) and a comprehensive [report](#).

You are warmly invited to join the GOTM [mailing list](#) and send any comments/questions to the [GOTM team](#) or become a GOTM [contributor](#). The GOTM developers are grateful to their [sponsors](#).

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Baltic Sea Research Inst

Warnemünde The logo of the Institute of Oceanography and Fisheries (IOF), featuring a stylized 'IOF' with a fish-like shape integrated into the letters.

# GOTM: Algebraic SMCs

## Turbulent Fluxes:

$$\langle \tilde{u}\tilde{w} \rangle = -\nu_t \partial_z \bar{u}, \quad \langle \tilde{w}\tilde{T} \rangle = -\nu'_t \partial_z \bar{T}$$

## Eddy Viscosity / Eddy Diffusivity:

$$\nu_t = c_\mu (\alpha_M, \alpha_N) \frac{k^2}{\varepsilon}, \quad \nu'_t = c'_\mu (\alpha_M, \alpha_N) \frac{k^2}{\varepsilon}.$$

## Shear Number, Buoyancy Number:

$$\alpha_M = \frac{k^2}{\varepsilon^2} M^2, \quad \alpha_N = \frac{k^2}{\varepsilon^2} N^2.$$

# GOTM: TKE-Equation

$$\partial_t k - \partial_z \left( \frac{\nu_t}{\sigma_k} \partial_z k \right) = P + B - \varepsilon,$$

$$L \propto \frac{k^{3/2}}{\varepsilon} \quad (1)$$

$k$  turbulent kinetic energy

$P$  shear production

$B$  buoyancy production

$\varepsilon$  viscous dissipation

$L$  macro length scale

# GOTM: Length scale equations

$k$ - $\varepsilon$  model (*Launder and Spalding [1972]*):

$$\partial_t \varepsilon - \partial_z \left( \frac{\nu_t}{\sigma_\varepsilon} \partial_z \varepsilon \right) = \frac{\varepsilon}{k} (c_{\varepsilon 1} P + c_{\varepsilon 3} B - c_{\varepsilon 2} \varepsilon).$$

$k$ - $kL$  model (*Mellor and Yamada [1982]*):

$$\partial_t (kL) - \partial_z (S_l \partial_z (kL)) =$$

$$\frac{L}{2} \left[ E_1 P + E_3 B - \left( 1 + E_2 \left( \frac{L}{L_z} \right)^2 \right) \varepsilon \right].$$

# GOTM: Length scale equations

$k$ - $\omega$  model (*Wilcox [1988], Umlauf et al. [2003]*):

$$\partial_t \omega - \partial_z \left( \frac{\nu_t}{\sigma_\omega} \partial_z \omega \right) = \frac{\omega}{k} (c_{\omega 1} P + c_{\omega 3} B - c_{\omega 2} \varepsilon), \quad \omega = \frac{\varepsilon}{k}.$$

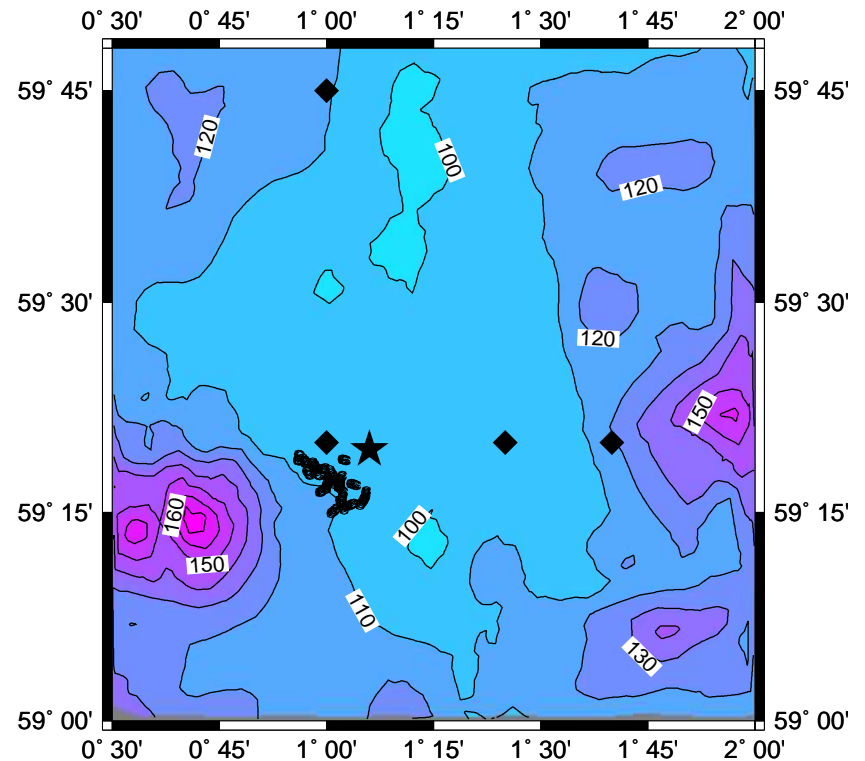
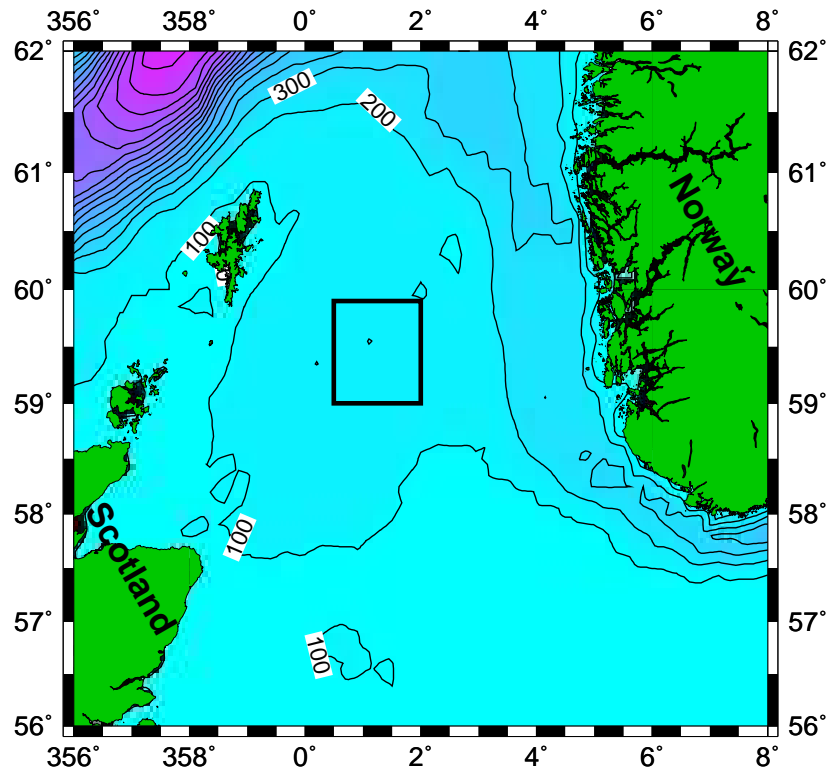
Generic model (*Umlauf and Burchard [2003]*):

$$\partial_t (k^m L^n) - \partial_z \left( \frac{\nu_t}{\sigma_{mn}} \partial_z (k^m L^n) \right) =$$

$$k^{m-1} L^n (c_{nm1} P + c_{mn3} B - c_{mn2} \varepsilon).$$

# GOTM: Northern North Sea

## Bathymetry and station map

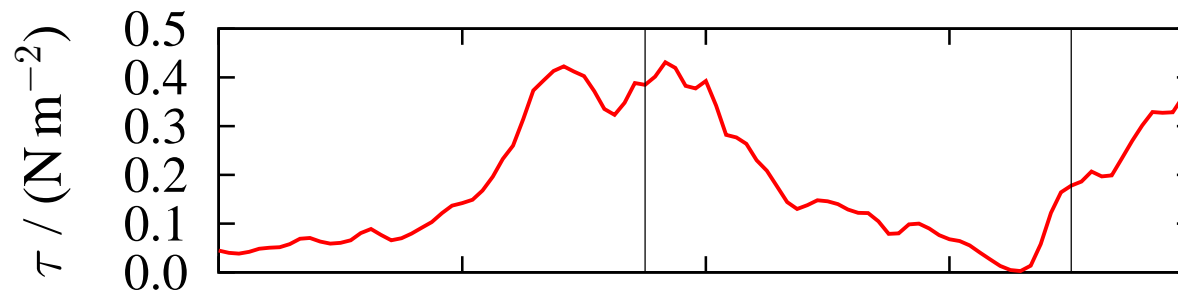


*Burchard et al. [2002]*

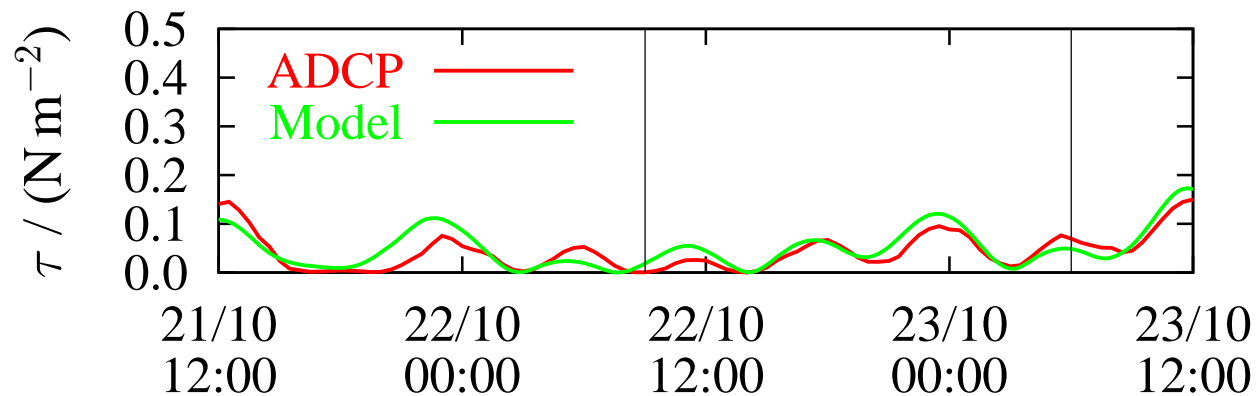
# GOTM: Northern North Sea

## Wind and Tides

Surface stress at station NNS



Bed stress at station NNS

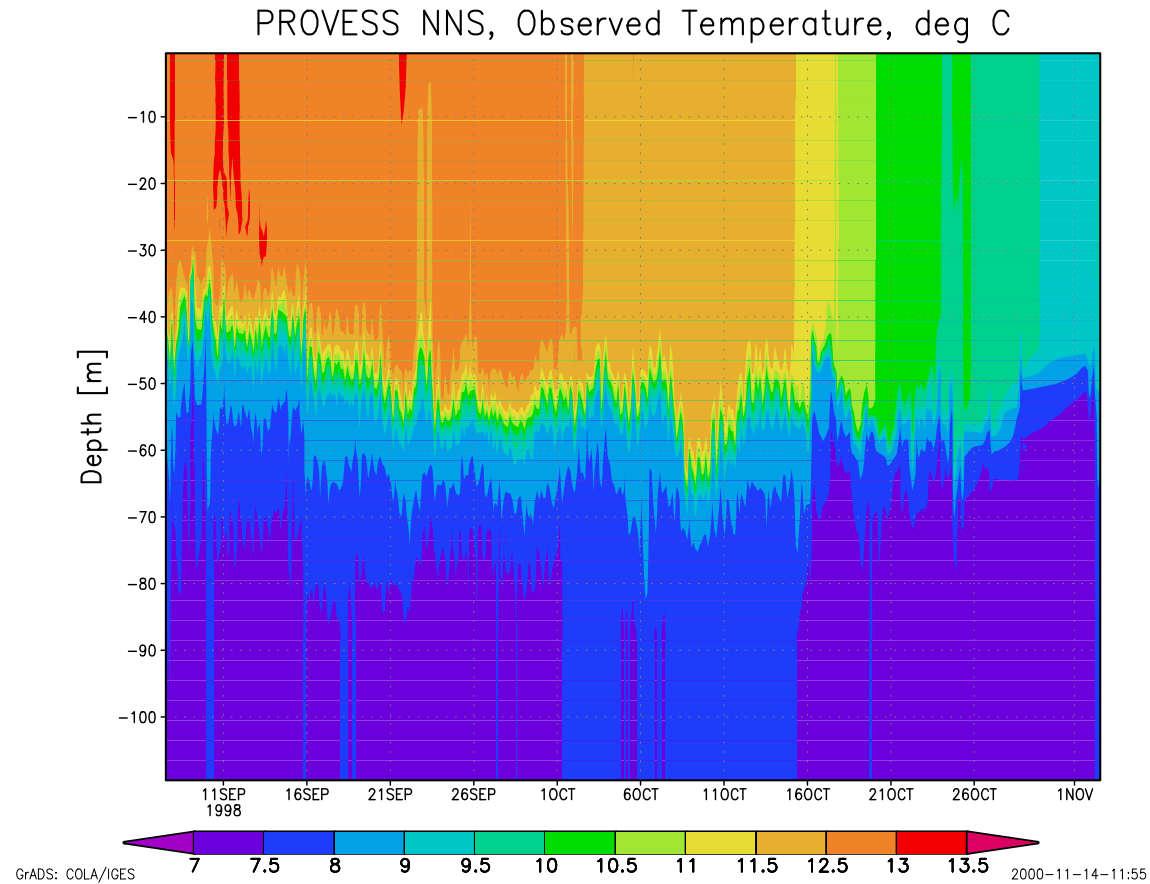


Date in 1998

*Burchard et al. [2002]*

# GOTM: Northern North Sea

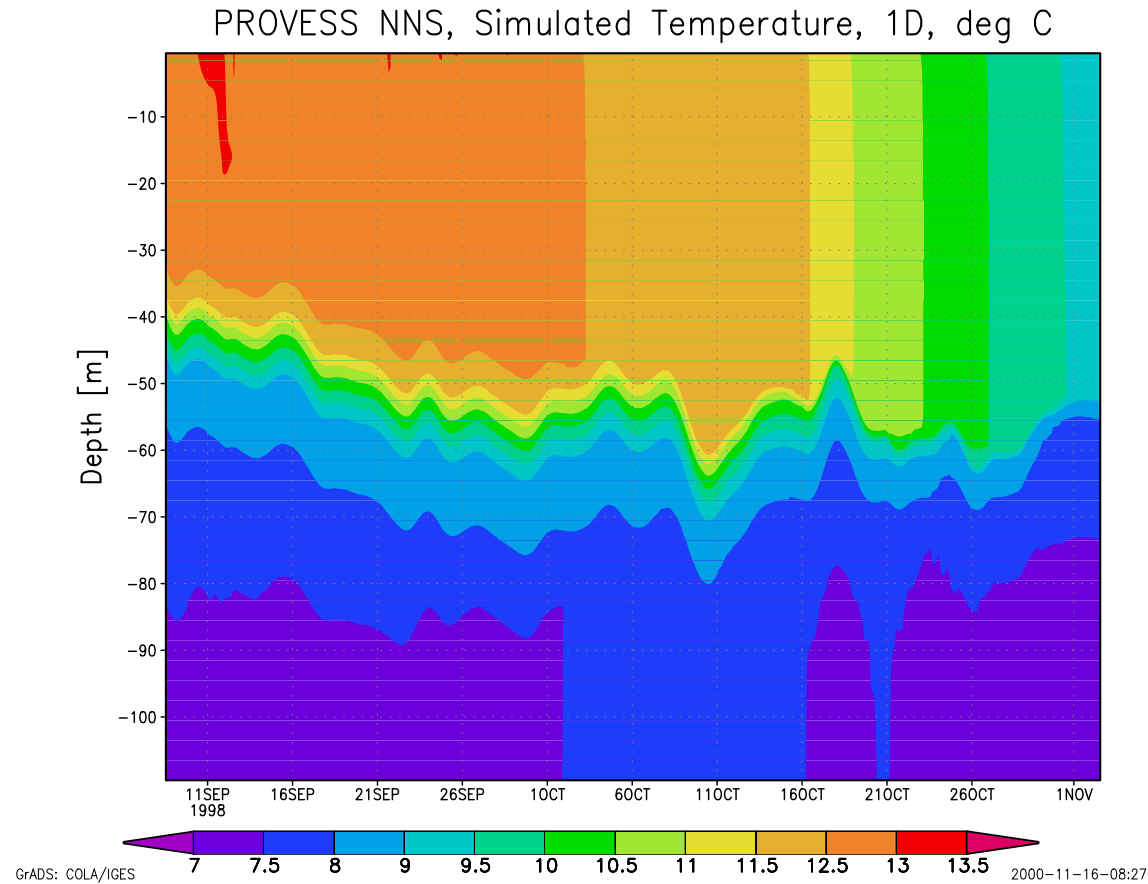
## Observed temperature



*Bolding et al. [2002]*

# GOTM: Northern North Sea

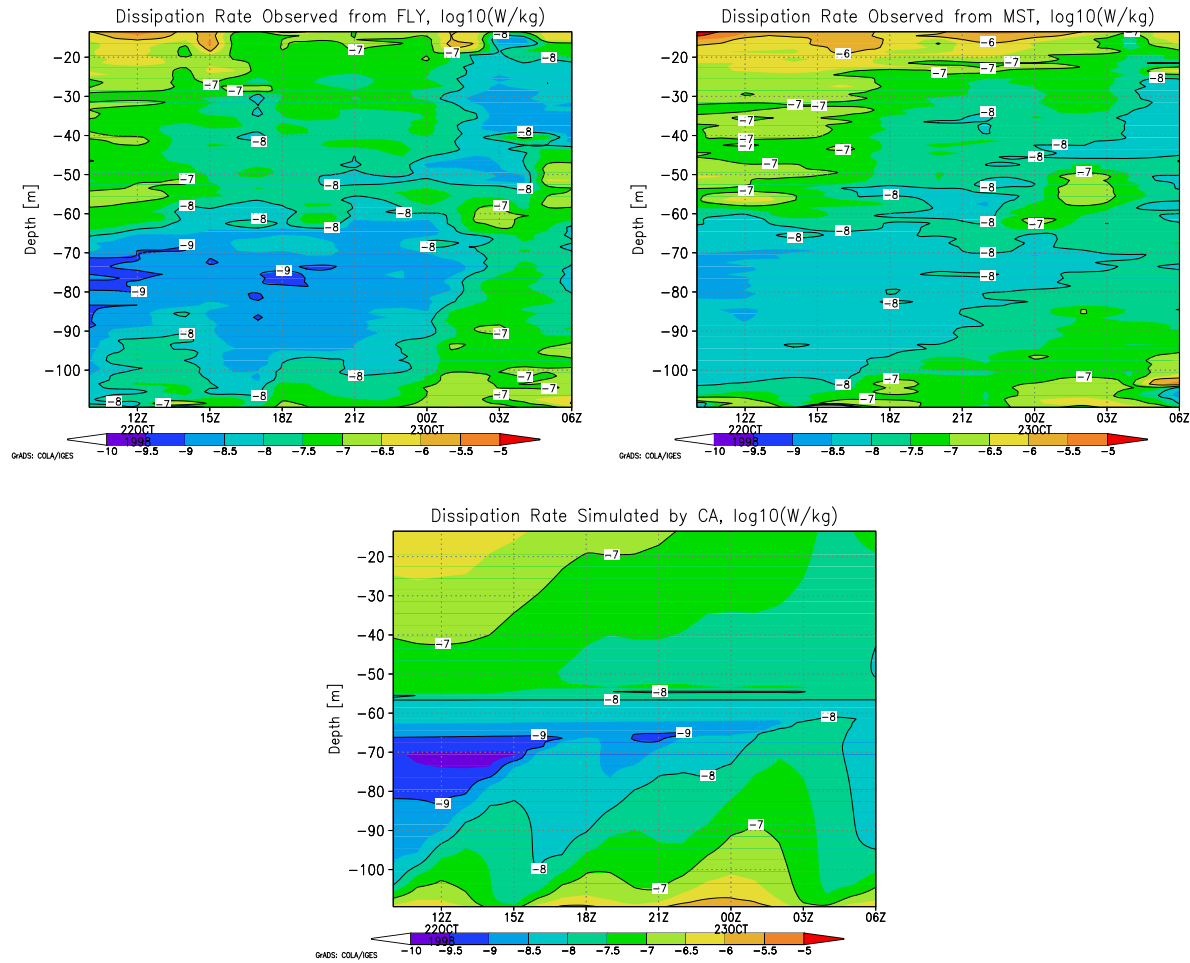
## Simulated temperature



*Bolding et al. [2002]*

# GOTM: Northern North Sea

Observed and simulated dissipation rate during 24 h:



*Burchard et al. [2002]*

# NPZD model as example

Simple four-compartment model:

$$\begin{aligned} \mathcal{T}(N) &= -s_{NP} + s_{PN} && +s_{ZN} && +s_{DN} \\ \mathcal{T}(P) &= +s_{NP} - s_{PN} - s_{PD} - s_{PZ} \\ \mathcal{T}(Z) &= && +s_{PZ} - s_{ZN} - s_{ZD} \\ \mathcal{T}(D) &= && +s_{PD} && +s_{ZD} - s_{DN} \end{aligned}$$

$$\mathcal{T}(X) = \partial_t X - \partial_z(\nu'_t \partial_z X) - w_X \partial_z X$$

From model physics

# NPZD model as example

Phytoplankton nutrient uptake term:

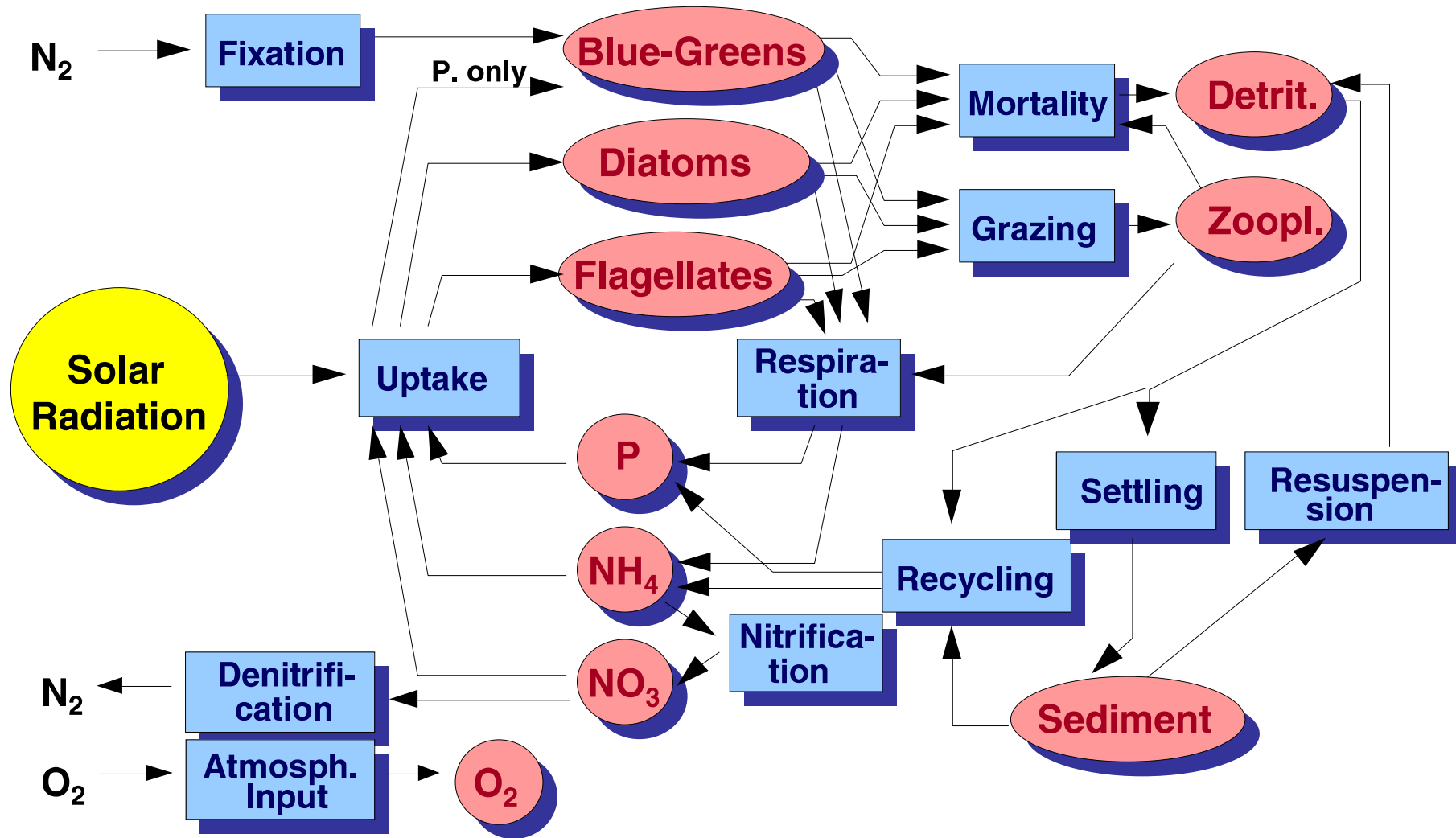
$$s_{NP} = \frac{I_{PAR}}{I_{opt}} \exp \left( 1 - \frac{I_{PAR}}{I_{opt}} \right) \frac{N}{\alpha + N} (P + P_0)$$

$$I_{PAR}(z) = \frac{I_0}{2} \frac{ae^{-z/\eta_1} + (1-a)e^{-z/\eta_2}}{\exp \left( k_c \int_z^0 (P(\xi) + P_0 + D(\xi) + D_0) d\xi \right)}$$

From model physics

Back to model physics

# IOW biogeochemical model



# Positivity and conservation

Generic zero-dimensional model formulation:

$$d_t c_i = P_i(\vec{c}) - D_i(\vec{c}) \quad , i = 1, \dots, I, \quad (2)$$

$$\vec{c}^0 = \vec{c}(t = 0) > \vec{0}, \quad (3)$$

$$P_i(\vec{c}) = \sum_{j=1}^I p_{i,j}(\vec{c}), \quad D_i(\vec{c}) = \sum_{j=1}^I d_{i,j}(\vec{c}), \quad (4)$$

$$p_{i,j}(\vec{c}) = d_{j,i}(\vec{c}), \quad \text{for } i \neq j. \quad (5)$$

*Burchard et al. [2003]*

# Positivity and conservation

$$\sum_{i=1}^I (P_i(\vec{c}) - D_i(\vec{c})) = \tag{6}$$

$$\sum_{i=1}^I \sum_{j=1}^I (p_{i,j}(\vec{c}) - d_{i,j}(\vec{c})) = \sum_{i=1}^I (p_{i,i}(\vec{c}) - d_{i,i}(\vec{c})) .$$

Thus, the system of equations is **conservative** for  $p_{i,i} = d_{i,i} = 0$ .

*Burchard et al. [2003]*

# Positivity and conservation

Discretisation problems:

- Explicit schemes are conservative but not non-negative.
- Positive schemes are not necessarily conservative.

Problem: Find **conservative** and **non-negative** scheme.

*Burchard et al. [2003]*

# Positivity and conservation

Solution, e.g. first order:

Modified Patankar-Euler scheme:

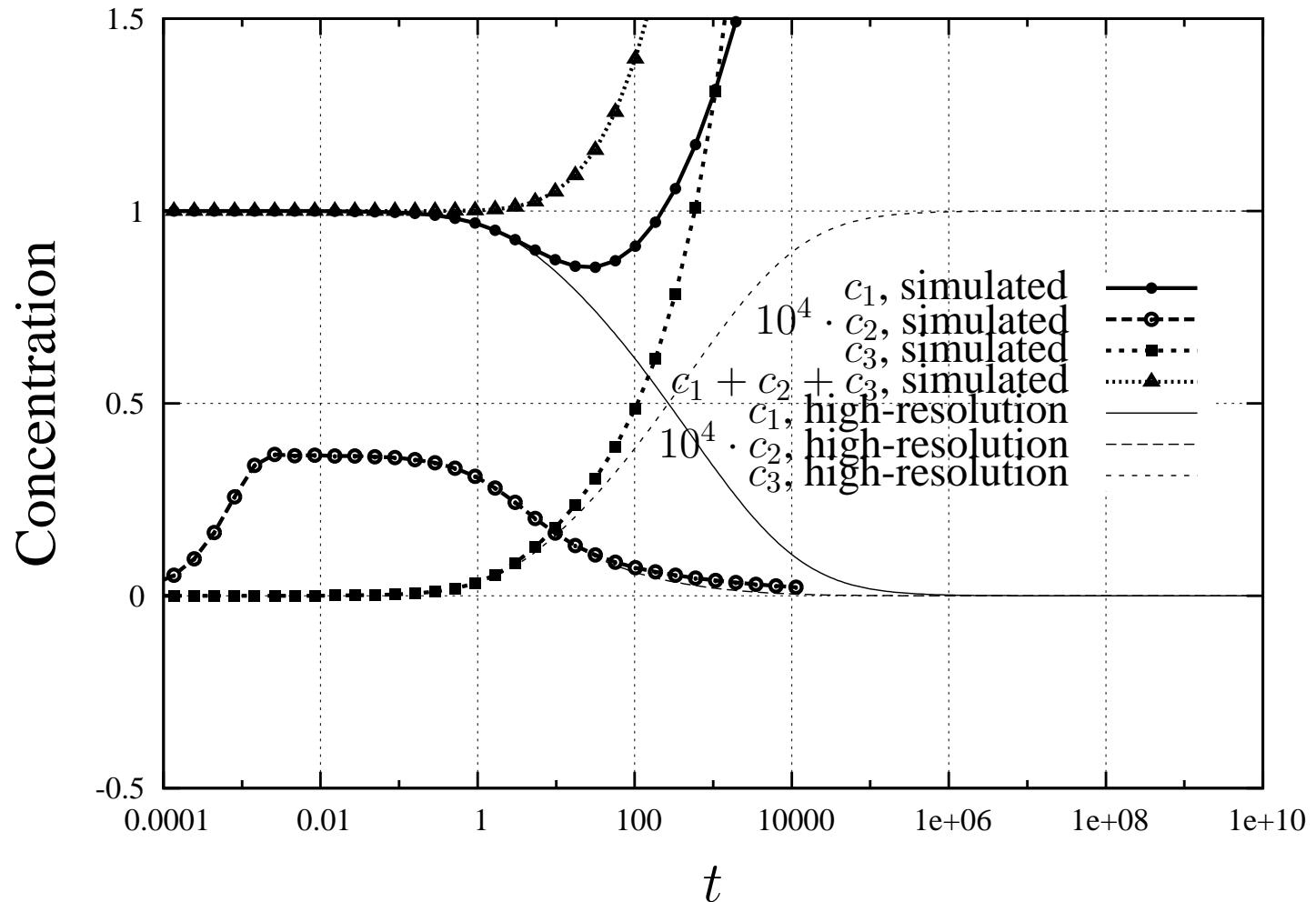
$$c_i^{n+1} = c_i^n + \Delta t \left( \sum_{j=1}^I p_{i,j}(\bar{c}^n) \frac{c_j^{n+1}}{c_j^n} - \sum_{j=1}^I d_{i,j}(\bar{c}^n) \frac{c_i^{n+1}}{c_i^n} \right), \quad i = 1, \dots, I \quad (7)$$

- The scheme is conservative (trivial)
- The scheme is non-negative (see *Burchard, Deleersnijder, Meister* [2003])

With the Runge-Kutta principle, conservative and non-negative schemes of arbitrary order may be constructed.

# Positivity and conservation

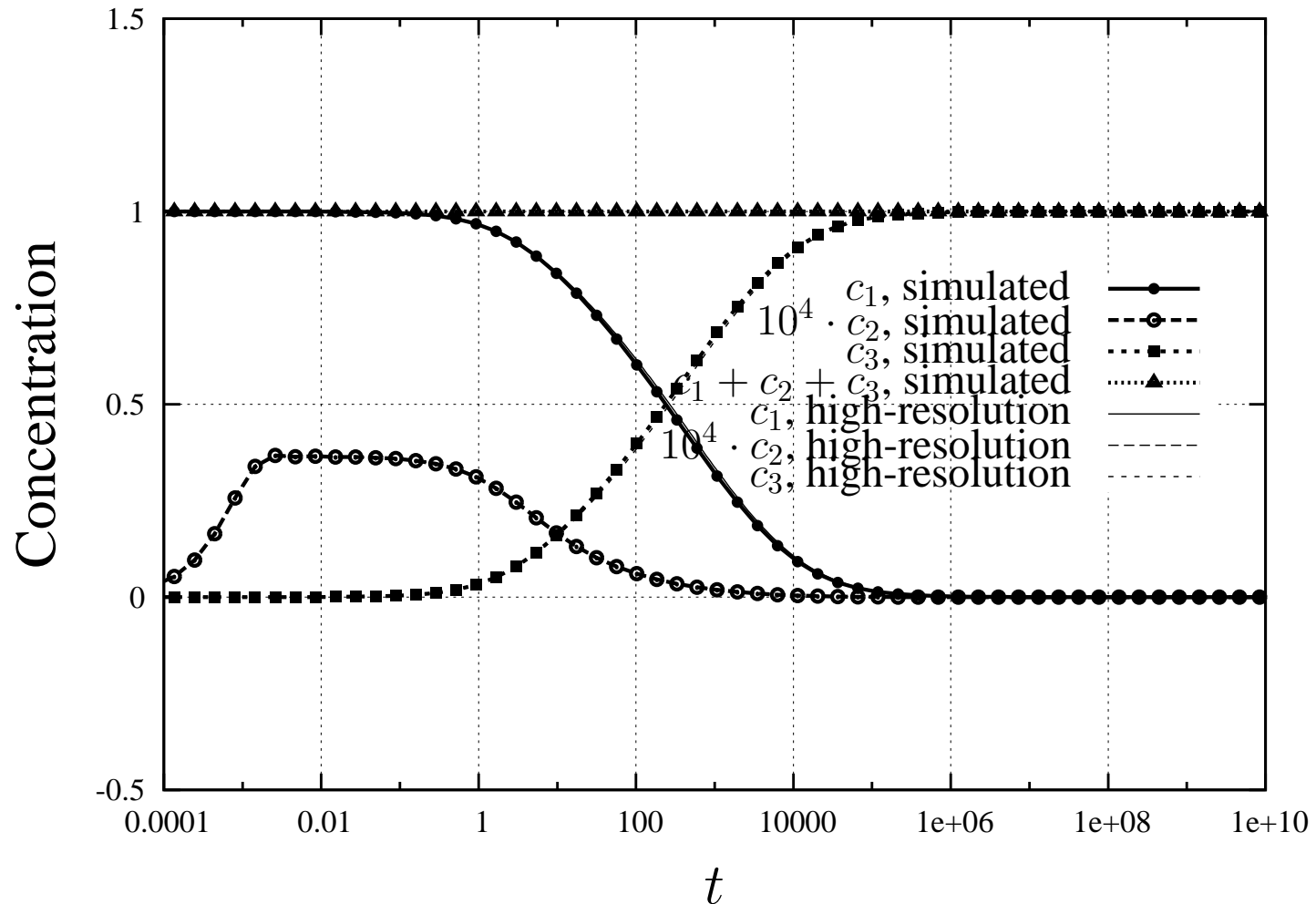
Patankar Runge-Kutta scheme



*Burchard et al. [2003]*

# Positivity and conservation

Modified Patankar Runge-Kutta scheme



*Burchard et al. [2003]*

# GOTM-BIO: principles

## Principles for inclusion of various ecosystem models into GOTM:

- Only few well-defined interfaces between GOTM and BIO necessary:  
`init_bio()`, `do_bio()`, `end_bio()`
- BIO as two level system:
  1. General bio: setup is read from `bio.inp`
  2. Based on the chosen BIO-model, a second namelist is read in with model specific details
- Code must allow for various numerical methods for right-hand sides

# GOTM-BIO: namelist input I

```
!-----  
! Geobiochemical model  
!  
! pelagic_calc=      .true.: calculate geobiochemical model  
! pelagic_model=  
!           1: NPZD  
!           2: IOW  
! w_adv_discr= advection scheme for vertical motion  
!           2: first order upstream  
...  
!           6: TVD with ULTIMATE QUICKEST  
! ode_method= scheme for source & sink dynamics  
!           1: first-order explicit (not positive)  
...  
!           8: mod. Patankar-RK scheme (second ord., positive, conservative)  
!           9: mod. Patankar-RK scheme (fourth ord., positive, conservative)  
!-----  
&pelagic_nml  
  pelagic_calc=.true.,  
  pelagic_model=2  
  ode_method=1,  
  w_adv_discr=6,
```

# GOTM-BIO: namelist input II

```
!-----  
! NPZD biological model  
!  
! numc=      number of compartments for geobiochemical model  
! n_initial= initial nutrient concentration           [mmol N/m**3]  
! p_initial= initial phytoplankton concentration      [mmol N/m**3]  
! z_initial= initial zooplankton concentration        [mmol N/m**3]  
! d_initial= initial detritus concentration           [mmol N/m**3]  
! p0=        minimum phytoplankton concentration (to be added to p) [ " ]  
! z0=        minimum zooplankton concentration (to be added to z)  [ " ]  
! w_p=       settling velocity of phytoplankton       [m/d]  
! w_d=       settling velocity of zooplankton         [m/d]  
! kc=        attenuation constant for the self shading effect [m**2/mmol N]  
! I_min=     minimum photosynthetically active radiation (PAR) [W/m**2]  
! rmax=      maximum nutrient uptake rate             [1/d]  
! gmax=      maximum grazing rate                    [1/d]  
! Iv=        Ivlev constant                           [ - ]  
! alpha=     half saturation                          [mmol N/m**3]  
! rpn=       p --> n rate (p metabolism)             [1/d]  
! rzn=       z --> n rate (z metabolism)             [1/d]  
! rdn=       d --> n rate (remineralisation)         [1/d]  
! rpdu=      p --> d rate (p mortality), in euphotic zone [1/d]  
! rpd1=      p --> d rate (p mortality), below euphotic zone [1/d]  
! rzd=       z --> d rate (z mortality)             [1/d]  
! cnpar=     Crank-Nickolson parameter fo vertical diffusion  
!-----
```

# GOTM-BIO: code I

```
#ifdef PELAGIC
    call do_pelagic(nlev,I_0,dt,h,t,nuh,rad,bioshade)
#endif
```

nlev            for    number of vertical layers,  
I\_0            for    net shortwave radiation at surface,  
dt             for     $\Delta t$ ,  
h              for    layer heights,  
t              for    potential temperature in each layer,  
nuh            for    eddy diffusivity at each layer interface,  
rad            for    net shortwave radiation at each interface,  
bioshade      for    turbidity due to organic material.

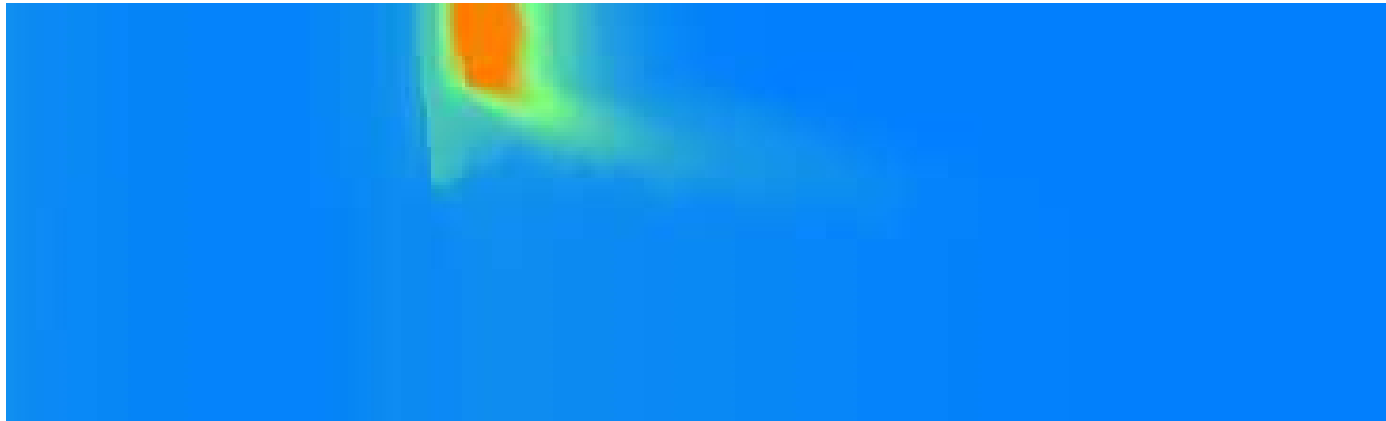
# GOTM-BIO: code for NPZD

```
do ci=1,nlev
  dd(n,p,ci)=fnp(cc(n,ci),cc(p,ci),par(ci),iopt)
  dd(p,z,ci)=fpz(cc(p,ci),cc(z,ci))
  dd(p,n,ci)=rpn*cc(p,ci)
  dd(z,n,ci)=rzn*cc(z,ci)
  dd(d,n,ci)=rdn*cc(d,ci)
  dd(p,d,ci)=rpd*cc(p,ci)
  dd(z,d,ci)=rzd*cc(z,ci)
  do i=1,numc
    do j=1,numc
      pp(i,j,ci)=dd(j,i,ci)
    end do
  end do
end do
```

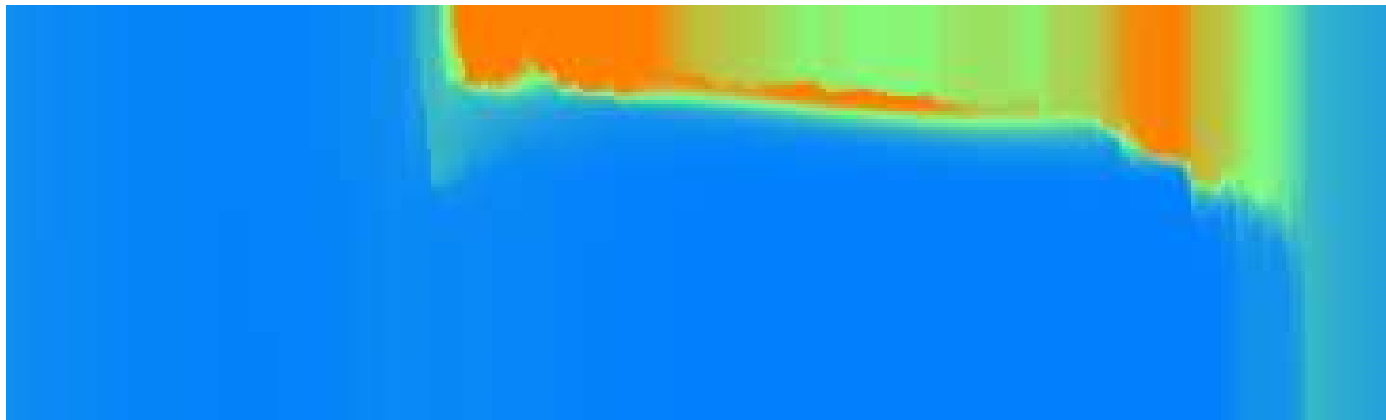
# GOTM Example: IOW model

Application to Northern North Sea as before.

Diatoms (min: 0 mmol N/m<sup>3</sup>, max: 1.5 mmol N/m<sup>3</sup>):



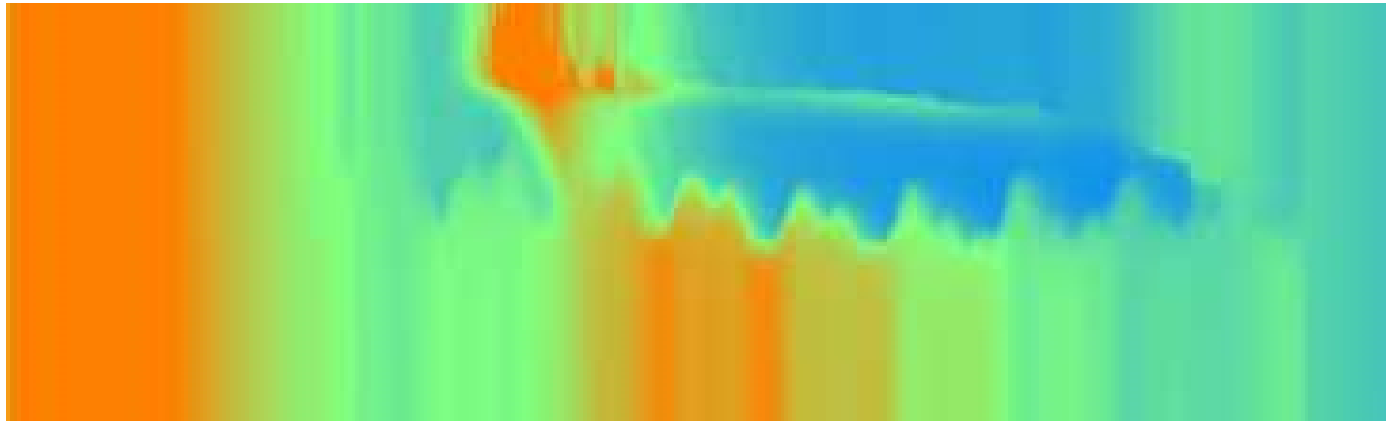
Flagellates (min: 0 mmol N/m<sup>3</sup>, max: 1.5 mmol N/m<sup>3</sup>):



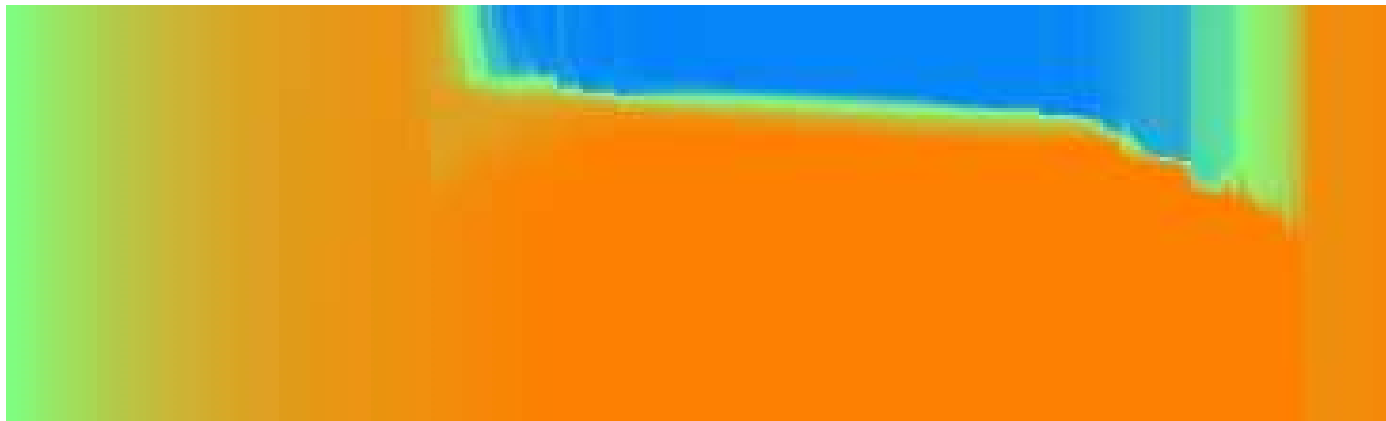
# GOTM Example: IOW model

Application to Northern North Sea as before.

Ammonium (min: 0 mmol N/m<sup>3</sup>, max: 0.2 mmol N/m<sup>3</sup>):



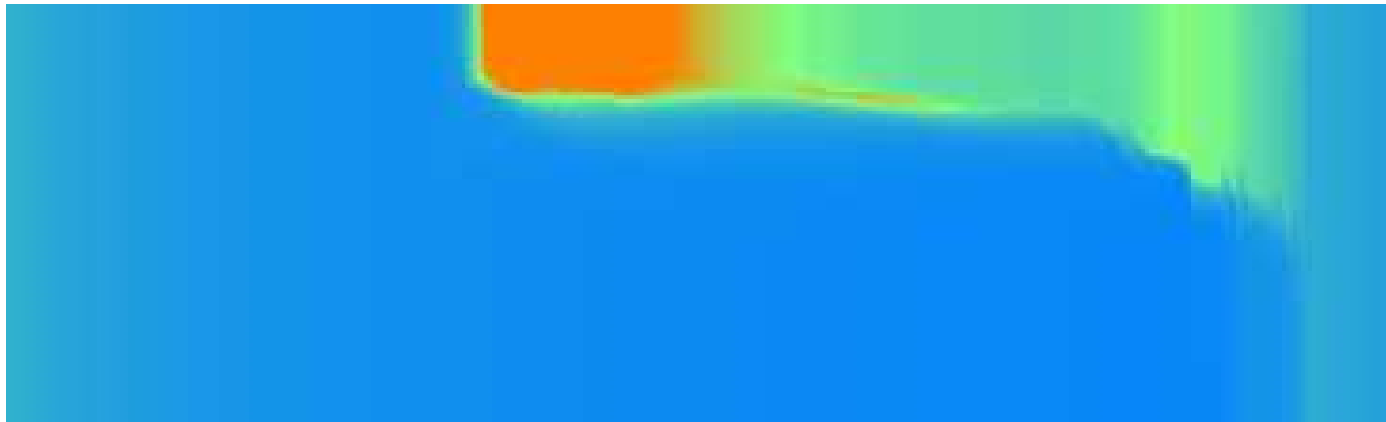
Nitrate (min: 0 mmol N/m<sup>3</sup>, max: 10 mmol N/m<sup>3</sup>):



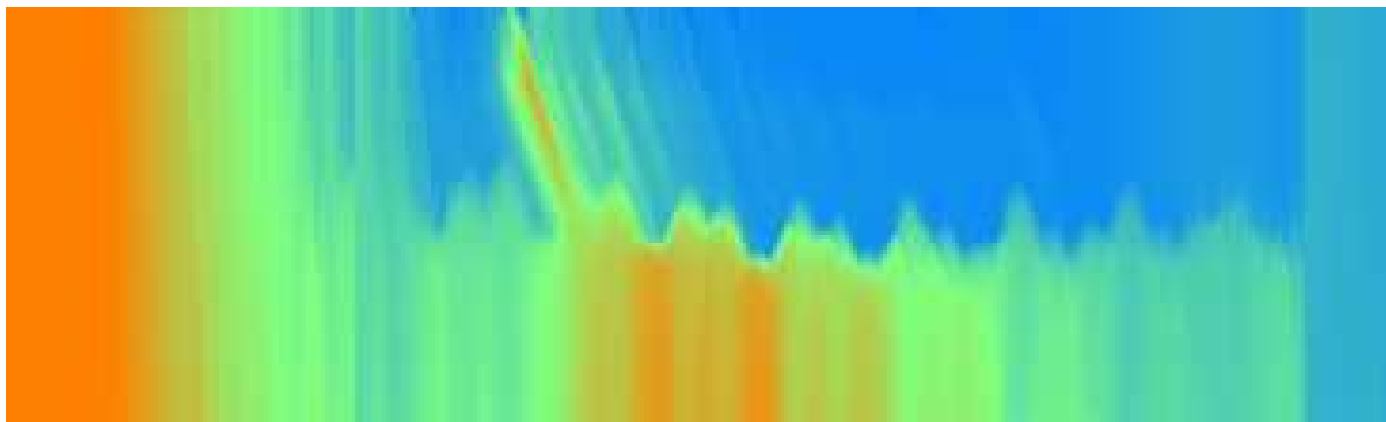
# GOTM Example: IOW model

Application to Northern North Sea as before.

Zooplankton (min: 0 mmol N/m<sup>3</sup>, max: 0.5 mmol N/m<sup>3</sup>):



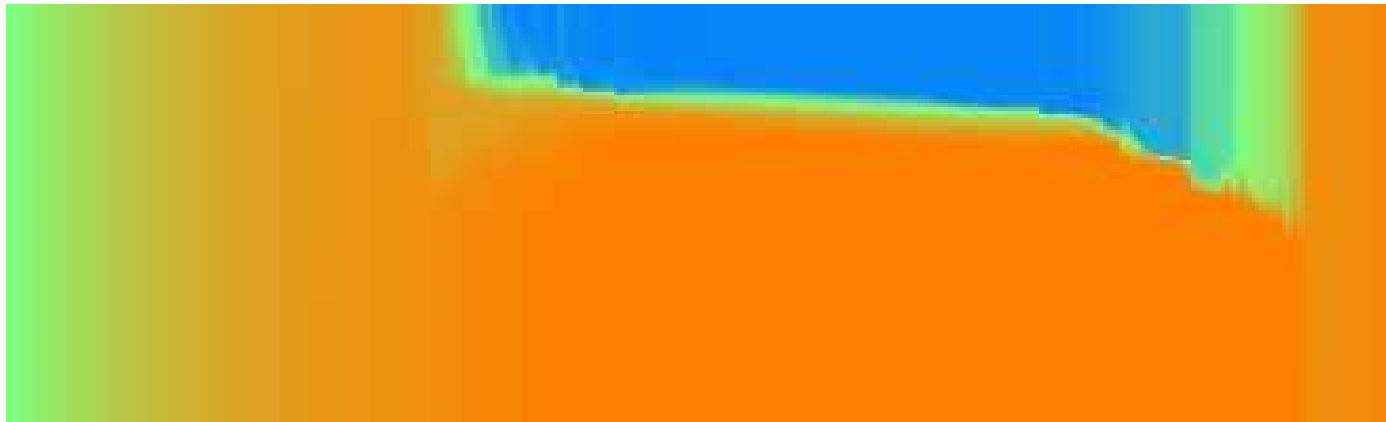
Detritus (min: 0 mmol N/m<sup>3</sup>, max: 3 mmol N/m<sup>3</sup>):



# GOTM Example: IOW model

Application to Northern North Sea as before.

Oxygen (min: 300 mmol/m<sup>3</sup>, max: 380 mmol/m<sup>3</sup>):



# Road map towards GOTM-BIO

1. Try to get funded
2. Implement some more ecosystem models in GOTM (e.g. *Fasham* [1990])
3. Create scenarios suitable for ecosystem model comparison (e.g. FLEX, ESTOC, OWS PAPA)
4. Generate Windows version for GOTM
5. Write documentation & user guide
6. Write scientific paper on model comparison with GOTM-BIO
7. Release GOTM-BIO
8. Get flooded with email requests from biologists